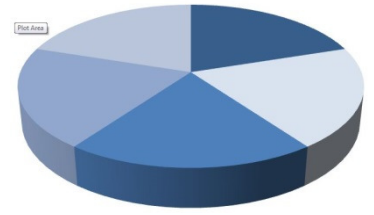
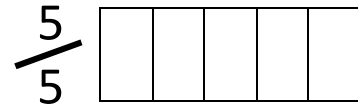
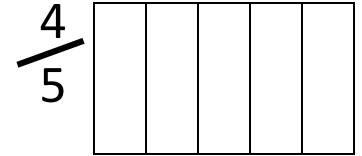
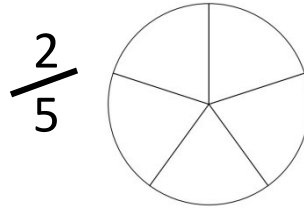
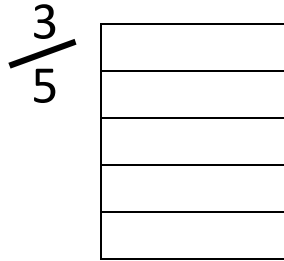
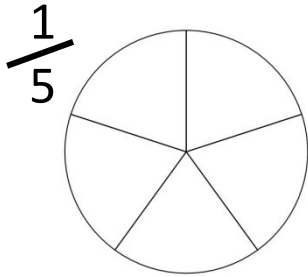


Using 5ths. *Stg 5/E6*  Name: _____

Coming to grips with fifths is a great idea, they're quite handy and look good on the mantelpiece. They are reasonably easy to deal with too, because it's a similar skill to dividing by 5

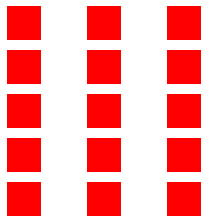


Colour in these fractions: (Neatly please, not just a scribble. Or I'll bite you)

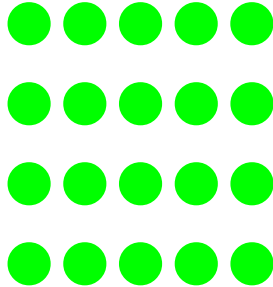


Now, let's try chopping up some sets. We know how this goes!

Circle the fraction of each set as indicated:



$\frac{1}{5}$ of 15 =

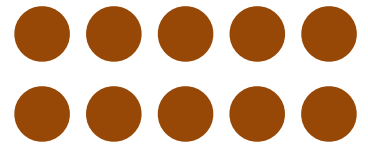


$\frac{3}{5}$ of 20 =



$\frac{2}{5}$ of 15 =

$\frac{1}{5}$ of 10 =



$\frac{1}{5}$ of 20 =



OK, this time without pictures: (Use the force Luke! Or, you can try counters if you get stuck) Remember, once you've worked out 1 fifth, just multiply that number by the numerator – the top number. For example: $\frac{1}{5}$ of 55 = 11, so $\frac{2}{5}$ of 55 must be 22 because $2 \times 11 = 22$, and so $\frac{4}{5}$ of 55 = 44 because $4 \times 11 = 44$.

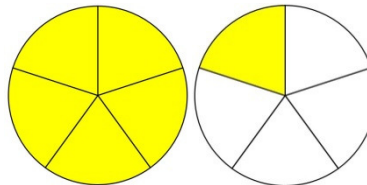
- | | | |
|---------------------------|---------------------------|---------------------------|
| 1. $\frac{1}{5}$ of 10 = | 2. $\frac{2}{5}$ of 10 = | 3. $\frac{3}{5}$ of 10 = |
| 4. $\frac{1}{5}$ of 25 = | 5. $\frac{3}{5}$ of 25 = | 6. $\frac{4}{5}$ of 25 = |
| 7. $\frac{1}{5}$ of 50 = | 8. $\frac{2}{5}$ of 50 = | 9. $\frac{3}{5}$ of 50 = |
| 10. $\frac{1}{5}$ of 30 = | 11. $\frac{3}{5}$ of 30 = | 12. $\frac{4}{5}$ of 30 = |
| 13. $\frac{1}{5}$ of 35 = | 14. $\frac{2}{5}$ of 35 = | 15. $\frac{3}{5}$ of 35 = |
| 16. $\frac{1}{5}$ of 40 = | 17. $\frac{3}{5}$ of 40 = | 18. $\frac{4}{5}$ of 40 = |
| 19. $\frac{1}{5}$ of 60 = | 20. $\frac{2}{5}$ of 60 = | 21. $\frac{4}{5}$ of 60 = |

'One fifth' in Te Reo Māori is Kotahi haurima. 'Two fifths' is rua haurima, $\frac{3}{5}$ = toru haurima, $\frac{4}{5}$ = whā haurima

Using 5ths. Stg 6

Name: _____

Proper and improper fractions: Sometimes we deal with fractions that show more than 1 full set or whole. There are 2 ways to show these numbers. Take **six** fifths for example:

1. A proper fraction shows the whole, plus whatever is left over: $1\frac{1}{5} = \frac{6}{5}$ 
2. An improper fraction shows all of the parts in the numerator.

So all we need to know when we need to find out how many fifths are in a number, is how many fifths fit into 1 whole. (*5 of them, duh*) So let's try a few, after this sponsors message:

E.g **8** fifths fit into $1\frac{3}{5}$ because $5(1 \times 5) + 3 = 8$

1. ___ fifths fit into $2\frac{1}{5}$ ___ (2×5) + 1 = ___
2. ___ fifths fit into $1\frac{3}{5}$ ___ (1×5) + 3 = ___
3. ___ fifths fit into $3\frac{4}{5}$ ___ (3×5) + 4 = ___
4. ___ fifths fit into $5\frac{2}{5}$ ___ (5×5) + 2 = ___
5. ___ fifths fit into $7\frac{1}{5}$ ___ (7×5) + 1 = ___

Then, convert these improper fractions into proper, decent law abiding fractions:

6. $7/5 =$ _____ (just divide by 5!)
7. $10/5 =$ _____
8. $12/5 =$ _____
9. $9/5 =$ _____
10. $23/5 =$ _____

I bet you're wondering now, *how do I turn fifths into decimals?* Actually it's pretty easy. $1 \div 5 = 0.2$, so every $\frac{1}{5} = 0.2$ – then $\frac{2}{5} = 0.4$ and $\frac{3}{5} = 0.6$ and $\frac{4}{5} = 0.8$ – So, we can Multiply by these decimals in the same way we use fractions. E.g $0.2 \times 10 = 2$ (because $1/5$ of $10 = 2$) 'x' = 'of' with fractions.

- | | | |
|----------------------------|----------------------------|----------------------------|
| a. $0.2 \times 15 = 3$ | b. $15 \times 0.4 =$ _____ | c. $0.6 \times 15 =$ _____ |
| d. $25 \times 0.2 =$ _____ | e. $0.6 \times 25 =$ _____ | f. $25 \times 0.8 =$ _____ |
| g. $0.2 \times 30 =$ _____ | h. $30 \times 0.4 =$ _____ | i. $0.6 \times 30 =$ _____ |

Similarly, we can divide strange numbers by 5 to get a decimal answer:

- | | | |
|------------------------|------------------------|--------------------------------------|
| j. $6 \div 5 = 1.2$ | k. $12 \div 5 =$ _____ | l. $7 \div 5 =$ _____ |
| m. $9 \div 5 =$ _____ | n. $11 \div 5 =$ _____ | o. $17 \div 5 = 3.\underline{\quad}$ |
| p. $21 \div 5 =$ _____ | q. $14 \div 5 =$ _____ | r. $24 \div 5 =$ _____ |

Here's a thing: 5ths and 10ths are kind of related! There are **2** tenths in every 5th. So we can easily simplify tenths into fifths! (supposing they're even numerators) Try some here:

1. $8/10 = 4/5$ (Just halve both numbers)
2. $2/10 = \underline{\quad} / \underline{\quad}$
3. $6/10 = \underline{\quad} / \underline{\quad}$
4. $10/10 = \underline{\quad} / \underline{\quad}$
5. $12/10 = \underline{\quad} / \underline{\quad}$

Cinco de Mayo—or the **fifth** of May—commemorates the Mexican army's 1862 victory over France at the Battle of Puebla during the Franco-Mexican War (1861-1867). <http://www.history.com/topics/holidays/cinco-de-mayo>

How to find a fifth of any number. Finding a fifth is the same as dividing by 5, much like the other types of division you know already – we can use standard form fast long division. So, let's have a go at finding a fifth of these interesting numbers. Remember to keep your place value, look out for decimals!

a. $5 \overline{)78.45}$

b. $5 \overline{)10.30}$

c. $5 \overline{)456.5}$

d. $5 \overline{)2.915}$

e. $5 \overline{)52280}$

f. $5 \overline{)39665}$

g. $5 \overline{)4825700}$

h. $5 \overline{)31.65}$

i. $5 \overline{)15.15}$

j. $5 \overline{)65.30}$

k. $5 \overline{)1.005}$

All well and good, I hear you say, but what if I need 2 fifths of any number? Or 4 fifths? Hmm, What then clever clogs? Well, here is the good news: to find **2 fifths**, all you have to do is **double** the answer to **1 fifth**! E.g:

$$\begin{array}{r} 469 \rightarrow \begin{array}{r} 1 \quad 1 \\ 4 \quad 6 \quad 9 \\ \times \quad 2 \\ \hline 938 \end{array} \\ 5 \overline{)2345} \end{array}$$

One fifth of 2345 is 469, $469 \times 2 = 938$ – to find 3 fifths simply **multiply by 3**, or 4 fifths - **multiply by 4**. Yep that's right!

1/5 of any number is 20%.
 2/5 of any number is 40%.
 3/5 of any number is 60%.
 4/5 of any number is 80%.

Well, if it's that easy, we should all just try some then! Go on then cheeky:

I. Find **2/5** of 93.5 $5 \overline{)93.5} \xrightarrow{\quad} \begin{array}{r} \times \quad 2 \\ \hline = \end{array}$

II. Find **3/5** of 71.45 $5 \overline{)71.45} \xrightarrow{\quad} \begin{array}{r} \times \quad 3 \\ \hline = \end{array}$

III. Find **4/5** of 2.070 $5 \overline{)2.070} \xrightarrow{\quad} \begin{array}{r} \times \quad 4 \\ \hline = \end{array}$

IV. Find **2/5** of 2.070 $5 \overline{)69.85} \xrightarrow{\quad} \begin{array}{r} \times \quad 2 \\ \hline = \end{array}$

Write out these ones in your maths book:

1. Find 2/5 of 1680
2. Find 3/5 of 37.375
3. Find 4/5 of 7095
4. Find 2/5 of 5.690
5. Find 3/5 of 7405
6. Find 4/5 of 77.035
7. Find 2/5 of 2080
8. Find 3/5 of 47.70
9. Find 4/5 of 3705
10. Find 2/5 of 95.75

Fifth Avenue is a major thoroughfare going through Manhattan in New York City, United States. It is considered among the most expensive and best shopping streets in the world. https://en.wikipedia.org/wiki/Fifth_Avenue

In New Zealand we celebrate 'Guy Fawkes' night on the 5th of November. We borrowed it from British history though – Guy Fawkes tried to blow up the English parliament building!